Generative Causal Representation Learning for Out-of-Distribution Motion Forecasting Shayan Shirahmad Gale Bagi¹, Zahra Gharaee², Oliver Schulte³, Mark Crowley¹

ABSTRACT

Conventional supervised learning methods typically assume i.i.d samples and are found to be sensitive to out-of-distribution (OOD) data. We propose Generative Causal Representation Learning (GCRL) which leverages causality to facilitate knowledge transfer under distribution shifts. First, we propose a novel causal model that explains the generative factors in motion forecasting datasets using features that are common across all environments and with features that are specific to each environment. Selection variables are used to determine which parts of the model can be directly transferred to a new environment without fine-tuning. Second, we propose an endto-end variational learning paradigm to learn the causal mechanisms that generate observations from features. Experimental results on synthetic and real-world motion forecasting datasets show the robustness and effectiveness of our proposed method for knowledge transfer under zero-shot and low-shot settings.

PROBLEM DEFINITION



Past trajectories

Future trajectories

- Given:
 - 2D coordinates of agents in the observed T_{obs} time steps
 - Training data with multiple environments.
- Objectives:
 - Predicting the states of agents in the next T_{pred} time steps in a new environment.
- Examples scenes from ETH-UCY dataset:



Image taken from (Amirian et al., 2020)

PROPOSED METHOD

• Endogenous variables:

- Past trajectories (X)
- Future trajectories (Y)
- Invariant features (Z)
- Variant features (S)
- Exogenous variables:
 - Selection variable (E)
- Examples:
 - Invariant features are common across domains. These features can be associated with physical laws.
 - variant features vary across domains and can be associated with the motion styles.
 - The selection variable acts as an identifier of an environment

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Method	ADE/FDE $\alpha = 8$
BASELINE (HUANG ET AL., 2019)	0.80/1.37
COUNTERFACTUAL (CHEN ET AL., 2021)	0.80/1.59
INVARIANT $\lambda = 1.0$ (LIU ET AL., 2022)	0.94/1.65
INVARIANT $\lambda = 3.0$ (LIU ET AL., 2022)	0.91/1.67
INVARIANT $\lambda = 5.0$ (LIU ET AL., 2022)	0.98/1.79
GCRL (OURS)	0.97/1.8

• The objective function in GCRL is given as:

1 $p(x s,z)p(s)p(s)p(s)p(s)p(s)p(s)p(s)p(s)p(s)p(s$	D(Z)
$\max_{p,q} E_{p^*(x,y)} [\log q(y x) + \frac{1}{q(y x)} E_{q(s x),q(z x)} [p(y x,s,z) \log \frac{1}{q(s x)q(z x)} q(s x) - \frac{1}{q(s x)q(z x)} g(y x) + \frac{1}{q(y x)} E_{q(x),q(z x)} [p(y x,s,z) \log \frac{1}{q(s x)q(z x)} g(y x) + \frac{1}{q(y x)} E_{q(x),q(z x)} [p(y x,s,z) \log \frac{1}{q(s x)q(z x)} g(y x) + \frac{1}{q(y x)} E_{q(x),q(z x)} [p(y x,s,z) \log \frac{1}{q(s x)q(z x)} g(y x) + \frac{1}{q(y x)} E_{q(x),q(z x)} [p(y x,s,z) \log \frac{1}{q(s x)q(z x)} g(y x) + \frac{1}{q(y x)} E_{q(x),q(x x)} [p(y x,s,z) \log \frac{1}{q(s x)q(z x)} g(y x) + \frac{1}{q(y x)} E_{q(x),q(x)} [p(y x,s,z) \log \frac{1}{q(x)q(x)} g(y x) + \frac{1}{q(x)q(x)} g(y x) + \frac{1}{q(x)q(x)} g(y x) + \frac{1}{q(x)q(x)} g(y x) + \frac{1}{q(x)q(x)q(x)} g(y x) + \frac{1}{q(x)q(x)q(x)} g(y x) + \frac{1}{q(x)q(x)q(x)} g(y x) + \frac{1}{q(x)q(x)q(x)q(x)q(x)} g(y x) + \frac{1}{q(x)q(x)q(x)q(x)q(x)q(x)q(x)q(x)} g(y x) + \frac{1}{q(x)q(x)q(x)q(x)q(x)q(x)q(x)q(x)q(x)q(x)$	· Tab per
• $p(s) = \sum_{e \in E} p(s e)p(e)$ which means that S has a Gaussi mixture prior	an • Oui effe
• $q(y x) = E_{q(S X),q(Z X)}[p(y s,z,x)] = p(y do(x))$ which can calculated by ancestral sampling and eliminates the confoundi bias.	be • Fig ng al., • is n
 Consequently, GCRL learns: 	• GC
1. To minimize the distance between ground-truth futue trajectories and predicted future trajectories via maximizi $\log q(y x)$	ure ng 0.11
2. To eliminate the confounding effect by estimating the cause effect of X on Y via $p(y do(x))$	sal 0.10
3. To reconstruct past trajectories via maximizing $\log p(x s,z)$	0.09
4. Invariant representations via maximizing $\log \frac{p(z)}{q(z x)}$	Щ
5. Variant representations via maximizing $\log \frac{p(s)}{q(s x)}$	4 0.08 A
 GCRL learns to predict the future trajectories with a generation approach, hence, it can tackle the multi-modality of trajectories. 	ve 0.07
 Z is invariant, we can directly transfer it to the new doma without any fine-tuning 	ain 0.06
• In test-time adaptation, we may need to fine-tune the componer	nts 0.05

of the GMM and obtain a new prior for S depending on how related the test domains are to the training domains.

RESULTS

ole: our method is robust against observation noise while rforming comparably with other motion forecasting models.

r proposed method also learns to reconstruct inputs: eliminates the ect of noise by reconstructing uncorrupted inputs

jure: GCRL adapts to the new environment faster than IM (Liu et 2022)

more robust to OOD-Extra shifts.

CRL improves the ADE by 34.3% from IM on average.



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domain shift is within the range of training domain shifts (Style Domain Shifts = $\{0.1, 0.3, 0.5\}$) e.g., test domain shift=0.4,

cases

We propose a method that leverages causality to learn meaningful features that can increase the *robustness and transferability of deep* learning models. In presence of spurious correlation, we method human trajectory prediction models performed other compared to our method. Furthermore, our augmented transferability the model able enhance causa was to zero-shot and low-shot settings. It can be concluded results that incorporating causality in deep learning from our is a promising research direction towards robustness and explainability of deep learning models.

REFERENCES

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